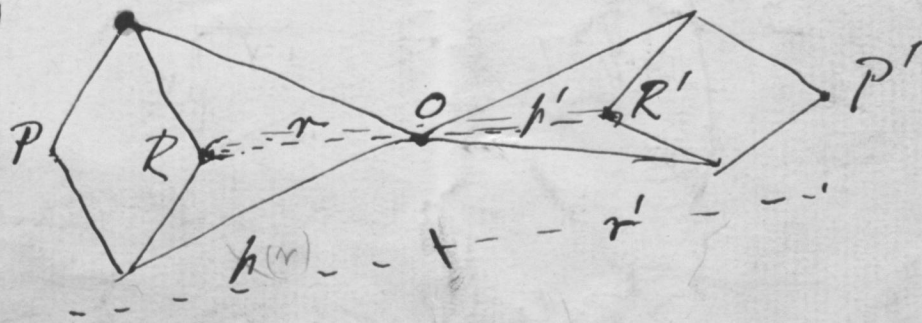


Nature Aug 31 1873
 Horace Darwin

Photo focusing p1r

The object is to make 2 points one on each side of a lens move in such a way as always to remain at conjugate foci. PR $P'R'$ are the foci of 2 cells alike in all respects. The poles R & R' are connected by a bar with a slot in it. (see picture over) through which the pivot at O passes - also $PR'P'$ are constrained to keep in a straight line.

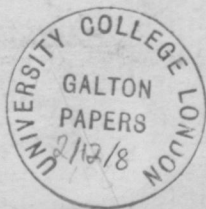


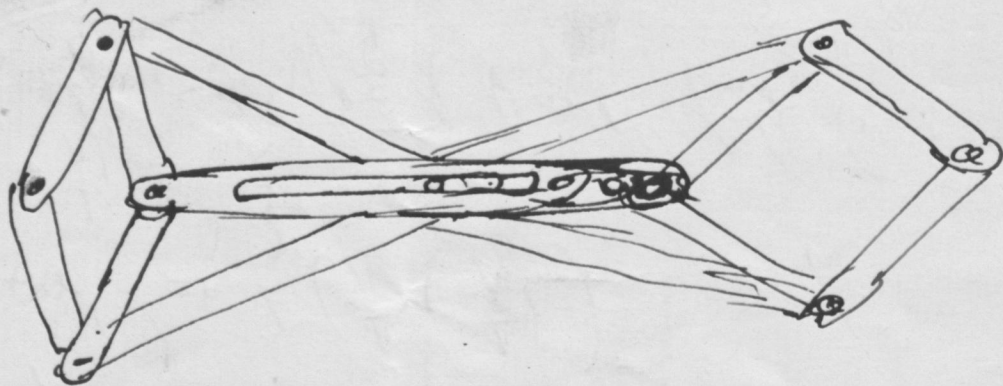
$$\begin{aligned}
 PO = p \quad P'O = p' & \quad RR' = L \\
 RO = r \quad R'O = r' & \quad \left. \begin{array}{l} \text{there is clear a typical} \\ \text{error here - } r' \neq p' \text{ etc. } \end{array} \right\} \text{be transferred} \\
 r = \frac{k}{h} \quad r' = \frac{k}{h'} & \quad \text{where } k \text{ is a constant}
 \end{aligned}$$

$$L = r + r' = k \left(\frac{1}{h} + \frac{1}{h'} \right)$$

$$\frac{1}{h} + \frac{1}{h'} = \frac{L}{k}$$

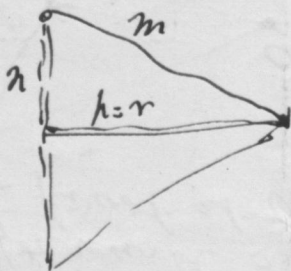
Hence if $\frac{k}{L}$ is the focal length of the lens h & h' are conjugate foci.





$$k = h r$$

$\frac{k}{L} = \text{focal length of lens}$



$$k = h^2 = \sqrt{m^2 - n^2}$$

$k \in \text{link}$ $L = \frac{\sqrt{m^2 - n^2}}{\text{focal length of lens.}}$

(the length of the connecting link RR')